

VEER SURENDRA SAI UNIVERSITY OF TECHNOLOGY (VSSUT), ODISHA
Odd Mid Semester Examination for Academic Session 2025-26

COURSE NAME: B.Tech

SEMESTER: 3rd

BRANCH NAME: ELECTRICAL ENGINEERING **EEA, EEB**
 SUBJECT NAME: NETWORK THEORY

FULL MARKS: 30

TIME: 90 Minutes

Answer **All** Questions.

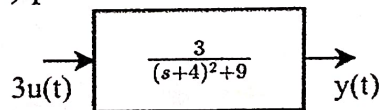
The figures in the right hand margin indicate Marks. *Symbols carry usual meaning.*

Q1. Answer all Questions.

[2 × 3]

- a) Explain the concept of the coefficient of coupling and derive the relationship between the self-inductances, mutual inductance and the coefficient of coupling for two series-connected coils. - CO1
- b) Explain the meaning of a symmetrical network and a reciprocal network, and state the conditions for symmetry and reciprocity separately in terms of both admittance (Y) parameters and impedance (Z) parameters. - CO2

- CO3

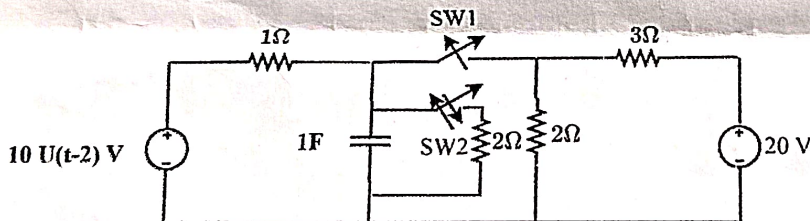


For the above figure, plot $y(t)$, and assess its stability using BIBO stability criteria.

Q2.

[8]

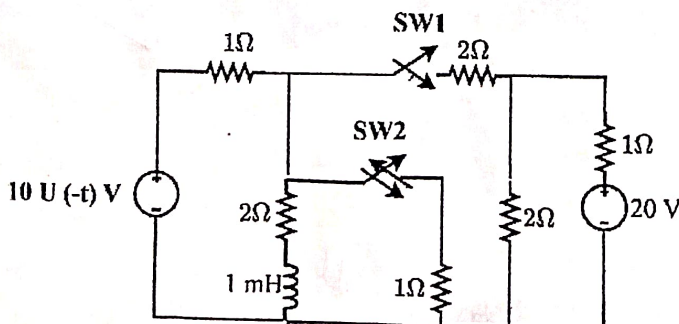
- CO1



For the given circuit, switch **SW1** is closed and switch **SW2** is open for a sufficiently long time so that the circuit reaches steady state. At $t = 0$ sec., **SW1** is opened and **SW2** is closed. At $t = 2$ sec., **SW2** is opened again. Determine the expression for the voltage across the capacitor during each switching interval and plot the corresponding voltage waveform. Also, calculate the time constant of the circuit for each switching period.

OR

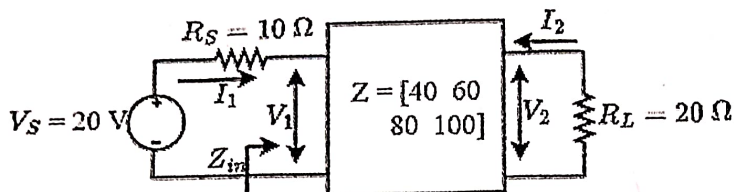
- CO1



For the given circuit, switch SW1 and switch SW2 is open for a sufficiently long time so that the circuit reaches steady state. At $t = 0$ sec., SW2 is closed. At $t = 5$ m. sec., SW1 closed and SW2 is opened again. Determine the expression for the current through the inductor during each switching interval and plot the corresponding current waveform. Also, calculate the time constant of the circuit for each switching period.

[5+3]

- CO2



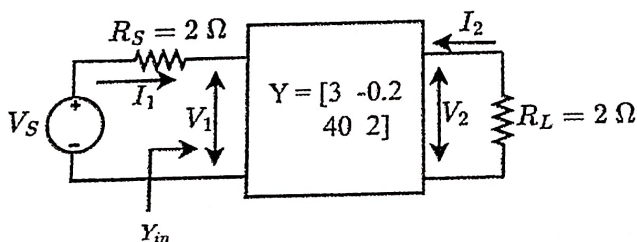
For the **two-port network** shown in the above figure, the **impedance matrix (Z)** is shown. Find-

- Input impedance (Z_{in}) as shown in the figure.
- Average power delivered to the load (R_L).

$$Z_i = \frac{V_1}{I_1}$$

OR

- CO2



For the **two-port network** shown in the above figure, the **admittance matrix (Y)** is shown. Find-

- Input admittance (Y_{in}) as shown in the figure.
- Obtain the voltage gain ($\frac{V_2}{V_S}$).

[5+3]

- CO3

$$F_1(s) = \frac{2bs^2 + as + 2b}{\frac{a}{4}s^2 + bs + \frac{a}{4}}, \text{ where } a \text{ and } b \text{ are real constants.}$$

If $F_1(s)$ represents a **driving-point immittance function**, $\rightarrow Z_{11}$ or Z_{22}

- Determine the admissible domain of a and b by applying the necessary conditions (point by point) that a function must satisfy to be a driving-point immittance function.

- For b varying from 1 to 5, find the corresponding range of values of a .

OR

$$F_2(s) = \frac{\frac{b}{4}s^2 + as + \frac{b}{4}}{as^2 + bs + 4a}, \text{ where } a \text{ and } b \text{ are real constants.}$$

If $F_2(s)$ represents a **network function**,

$$s^2 + 4s + 1$$

- CO3

- Determine the range of values of a and b by applying the conditions and restrictions (point by point) of poles and zeros of a network function.
- Determine the relationship between a and b when the above function has only real poles.